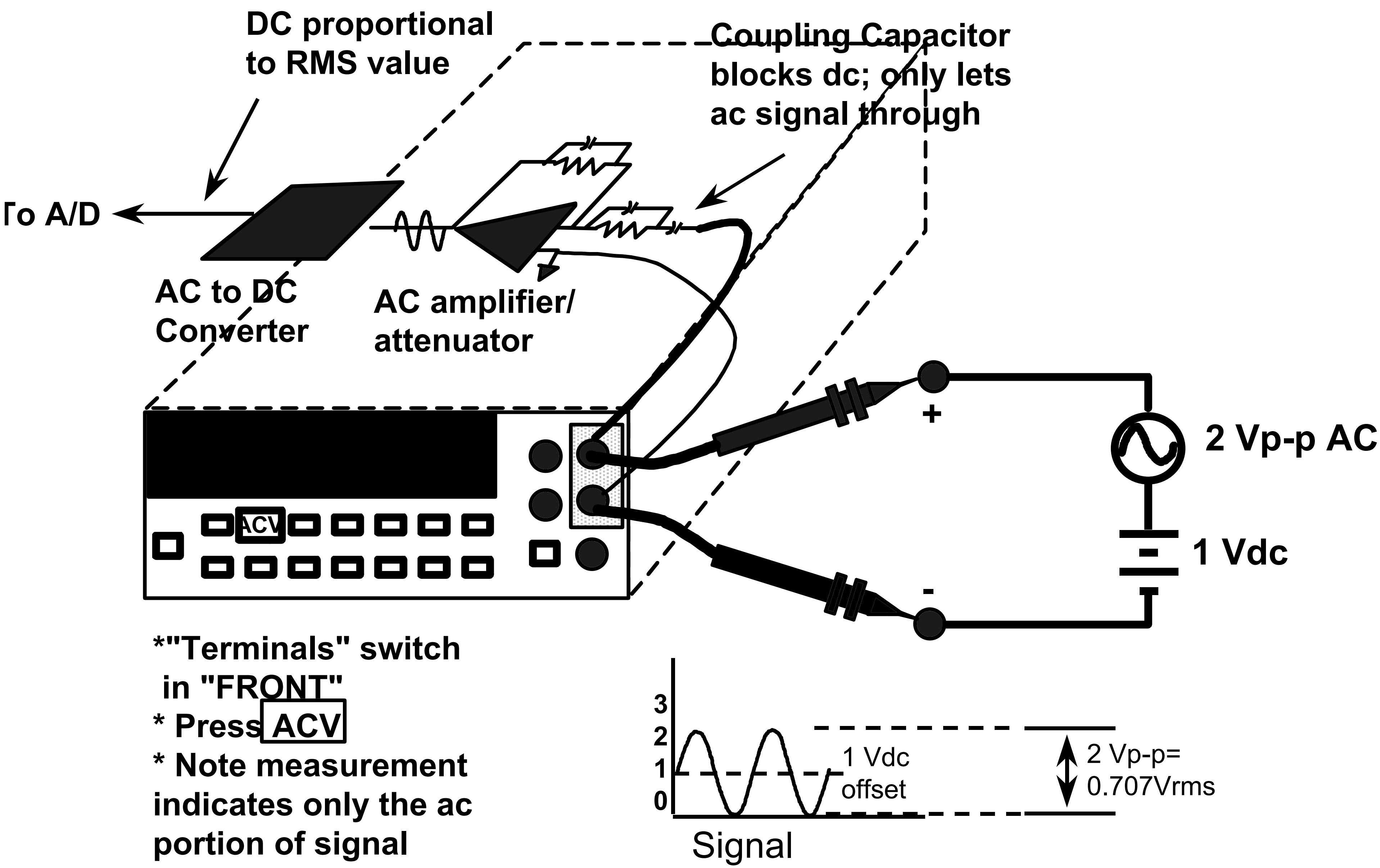
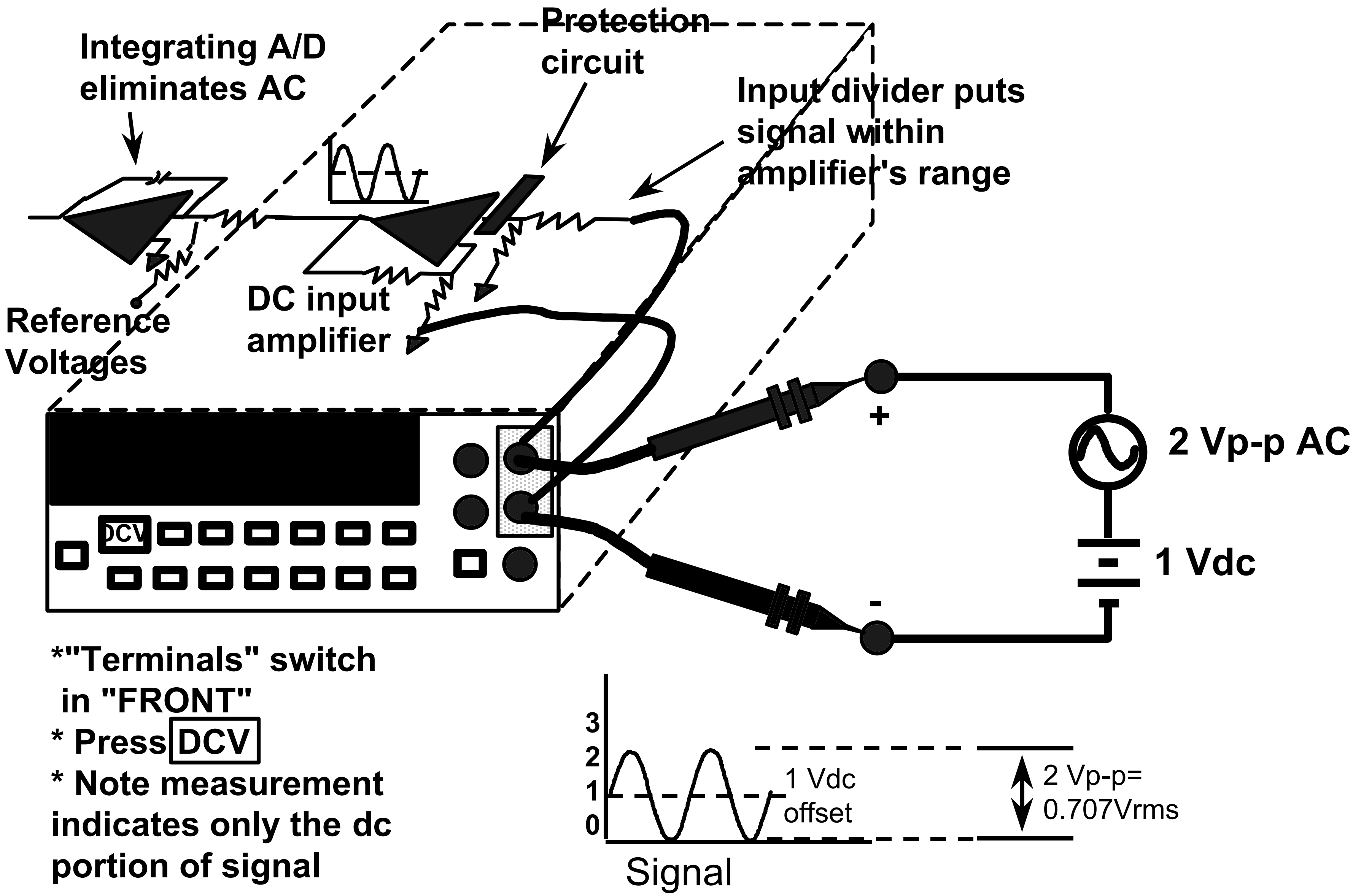
Measuring ACV



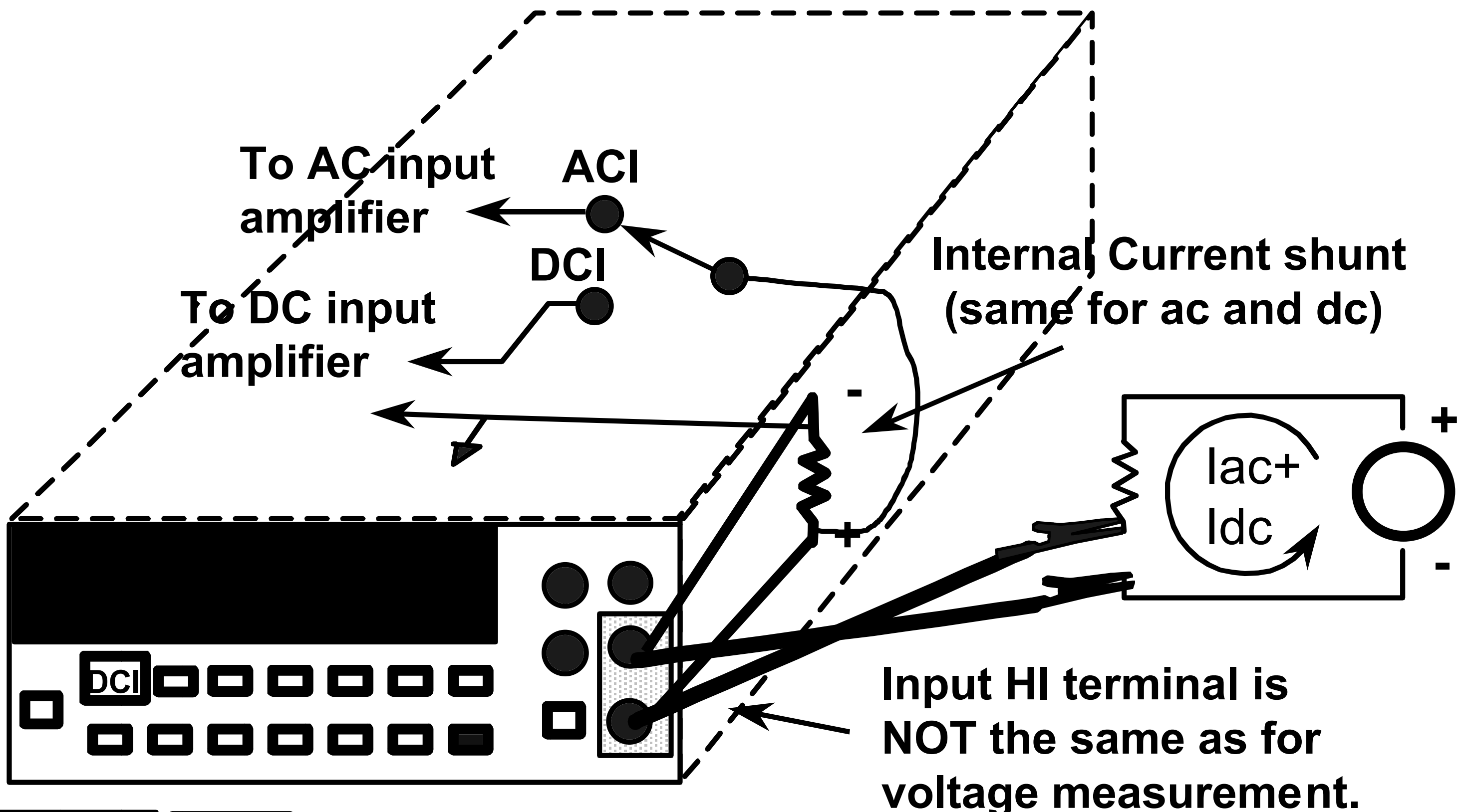
*"Terminals" switch in "FRONT"
* Press ACV
* Note measurement indicates only the ac portion of signal

Measuring DCV



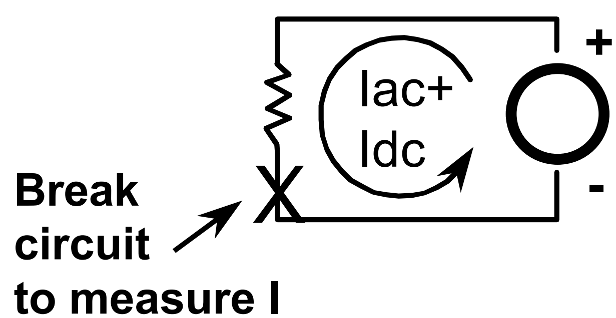
*"Terminals" switch in "FRONT"
* Press DCV
* Note measurement indicates only the dc portion of signal

Measuring CURRENT



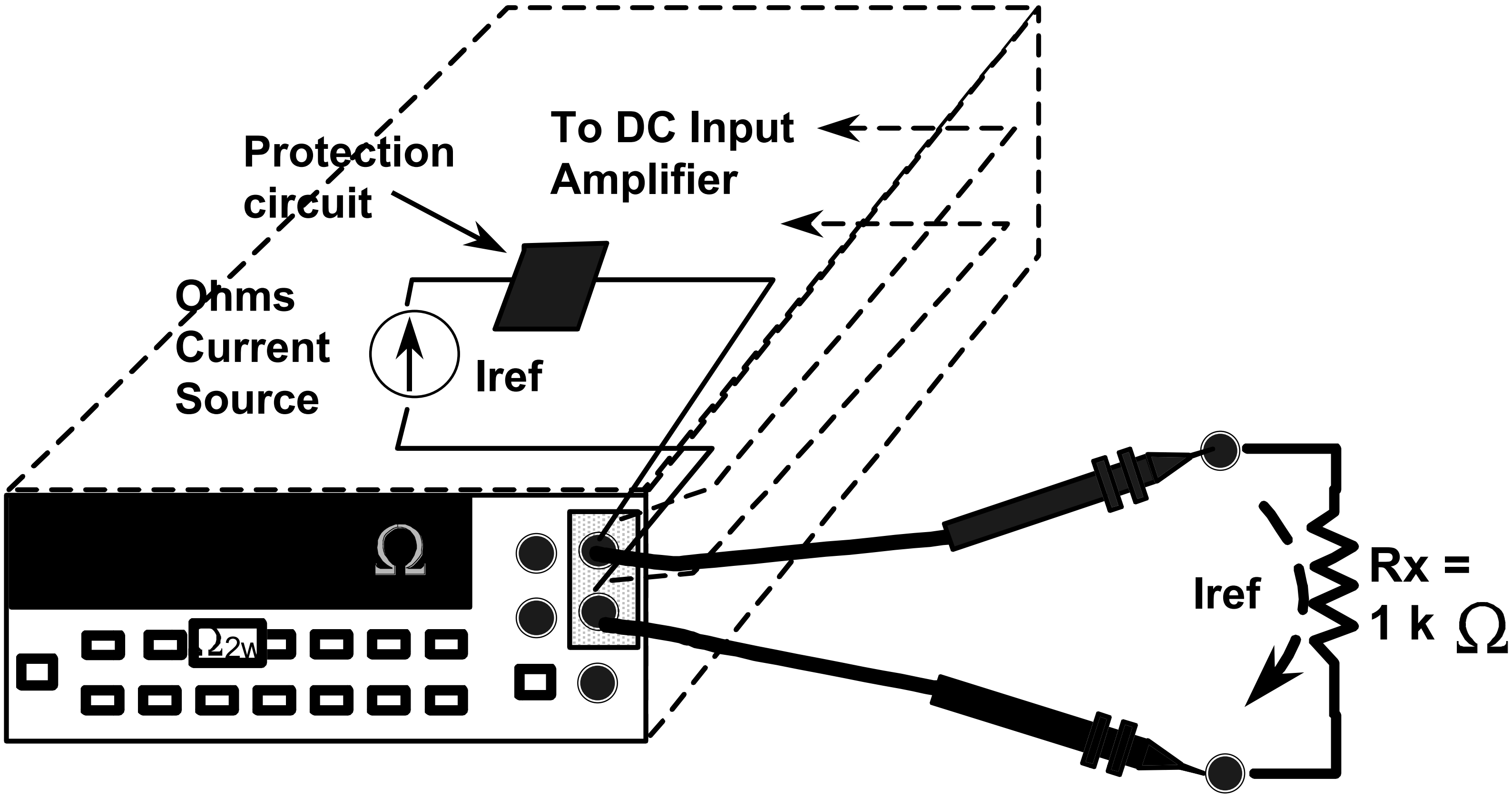
[* SHIFT] [DCV] = Measure DCI

[* SHIFT] [ACV] = Measure ACI



* Never hook current leads directly across a voltage source.

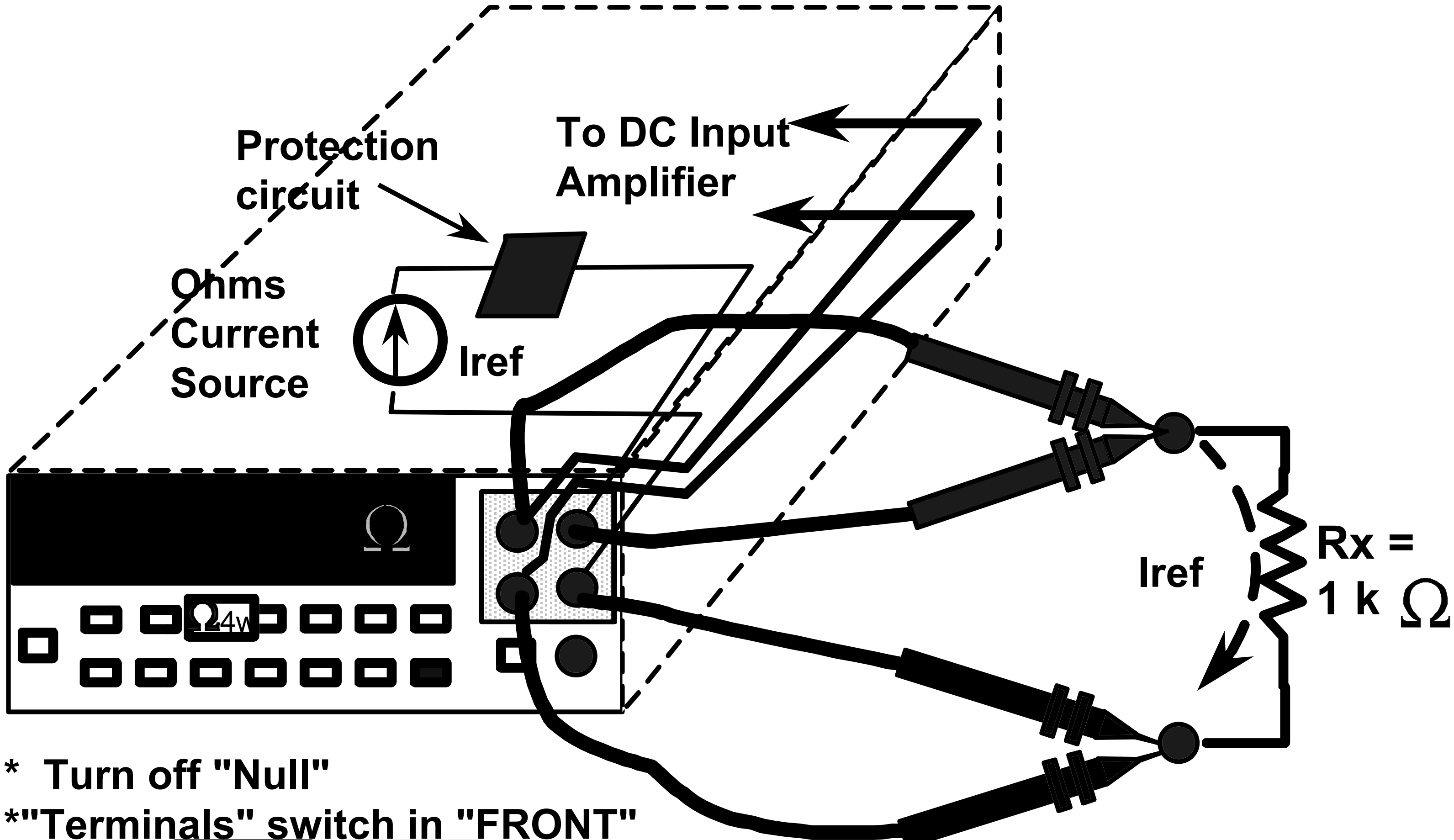
Measuring Resistance
Two-Wire Technique



*"Terminals" switch in "FRONT"
* Press Ω2W
* Since voltage is sensed at front terminals, measurement includes all lead resistance

* To eliminate the lead resistance:
* Short leads together
* Press Null
* Original value will now be subtracted from each reading

Measuring Resistance
Four-Wire Technique



* Turn off "Null"
*"Terminals" switch in "FRONT"
* Press Ω4W
* Voltage is now sensed directly at the resistor, so lead resistance is not a factor

* Because input impedance of DC Input Amplifier is so high, no current flows through sense leads, hence no lead resistance error

RMS: Root-Mean-Square

RMS is a measure of a signal's average power. Instantaneous power delivered to a resistor is: P= [v(t)]^2/R. To get average power, integrate and divide by the period:

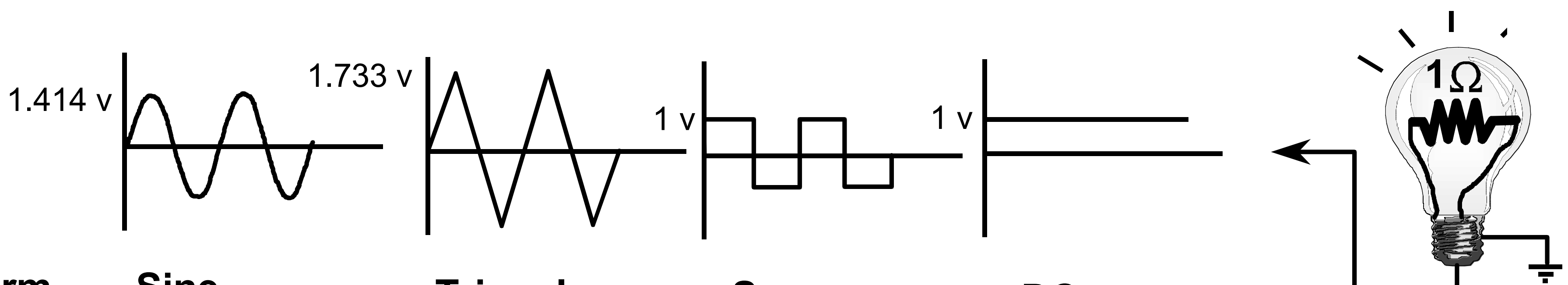
$$P_{avg} = \frac{1}{R}\left(\frac{1}{T}\int_{t_0}^{t_0+T}[v^2(t)]dt\right) = \frac{(V_{rms})^2}{R}$$

Solving for Vrms:

$$V_{rms} = \sqrt{\left(\frac{1}{T}\int_{t0}^{t0+T}[v^2(t)]dt\right)}$$

An AC voltage with a given RMS value has the same heating (power) effect as a DC voltage with that same value.

All the following voltage waveforms have the same RMS value, and should indicate 1.000 VAC on an rms meter:

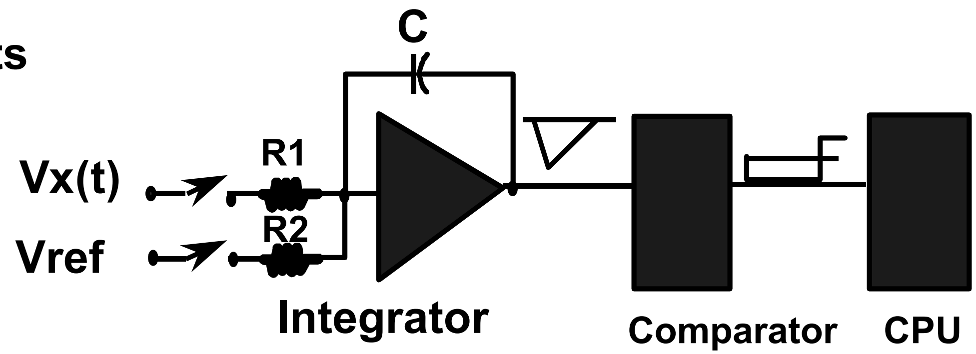


Waveform	Sine	Triangle	Square	DC
Vpeak	1.414	1.733	1	1
Vrms	1	1	1	1

All = 1 WATT

Integrating A/D

1) Converts voltage to time to digits
2) Integrator is a
   line-frequency filter
3) Integrator is
   a low-pass filter



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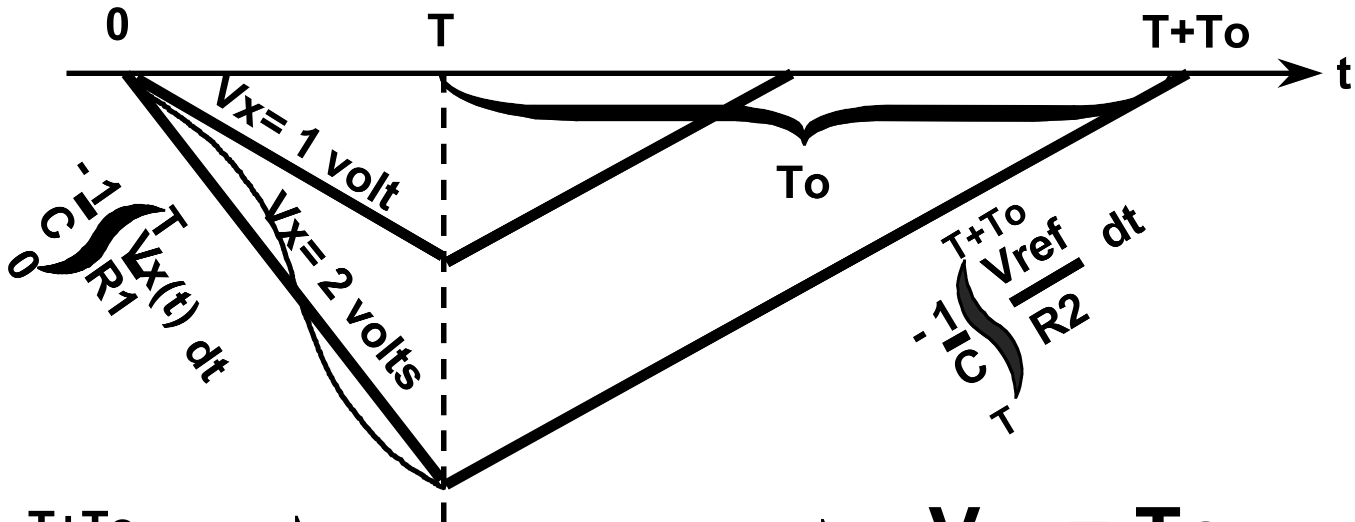
ntegrator:

$$out= -\frac{1}{C}\int_0^T i(t)\,dt$$



If R1=R2 ⇒ $\int_0^T Vx\,dt = \int_T^{T+To} -Vref\,dt$ ⇒ $T*Vx= To*(-Vref)$ ⇒ $\frac{Vx}{-Vref} = \frac{To}{T}$

T is fixed at one cycle of 50 Hz or 60 Hz to eliminate line noise; Vref is fixed; R, C and Time are all ratioed, so accuracy is excellent.

The DIGITAL MULTIMETER

Hints for Accurate Measurements:

Measure as near full scale as possible

Measure a RATIO rather than an absolute value